Chapter 5.4 Artificial Intelligence: Pathfinding



Introduction

- Almost every game requires pathfinding
- Agents must be able to find their way around the game world
- Pathfinding is not a trivial problem
- The fastest and most efficient pathfinding techniques tend to consume a great deal of resources



Representing the Search Space

- Agents need to know where they can move
- Search space should represent either
 - Clear routes that can be traversed
 - Or the entire walkable surface
- Search space typically doesn't represent:
 - Small obstacles or moving objects
- Most common search space representations:
 - Grids
 - Waypoint graphs
 - Navigation meshes

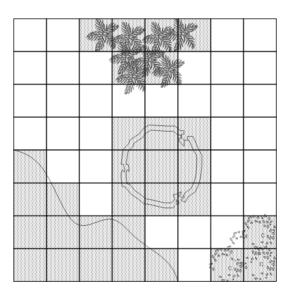


2D grids – intuitive world representation Works well for many games including some 3D games such as Warcraft III Each cell is flagged Passable or impassable Each object in the world can occupy one or more cells



Characteristics of Grids

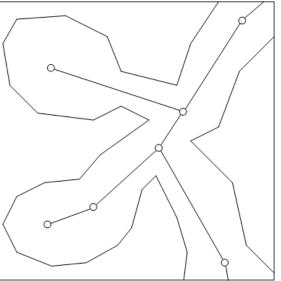
- Fast look-up
- Easy access to neighboring cells
- Complete representation of the level





Waypoint Graph

- A waypoint graph specifies lines/routes that are "safe" for traversing
- Each line (or link) connects exactly two waypoints





Characteristics of Waypoint Graphs

- Waypoint node can be connected to any number of other waypoint nodes
- Waypoint graph can easily represent arbitrary 3D levels
- Can incorporate auxiliary information
 Such as ladders and jump pads
- Incomplete representation of the level

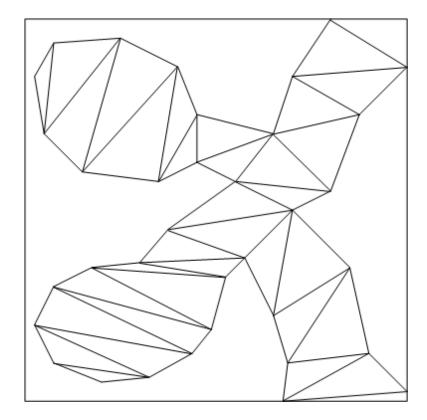


Navigation Meshes

- Combination of grids and waypoint graphs
- Every node of a navigation mesh represents a convex polygon (or area)
 - As opposed to a single position in a waypoint node
- Advantage of convex polygon
 - Any two points inside can be connected without crossing an edge of the polygon
- Navigation mesh can be thought of as a walkable surface



Navigation Meshes (continued)





Characteristics of Navigation Meshes

- Complete representation of the level
- Ties pathfinding and collision detection together
- Can easily be used for 2D and 3D games



Searching for a Path

- A path is a list of cells, points, or nodes that an agent must traverse
- A pathfinding algorithm finds a path
 - From a start position to a goal position
- The following pathfinding algorithms can be used on
 - Grids
 - Waypoint graphs
 - Navigation meshes



Criteria for Evaluating Pathfinding Algorithms

- Quality of final path
- Resource consumption during search
 - CPU and memory
- Whether it is a *complete* algorithm
 - A complete algorithm guarantees to find a path if one exists



Random Trace

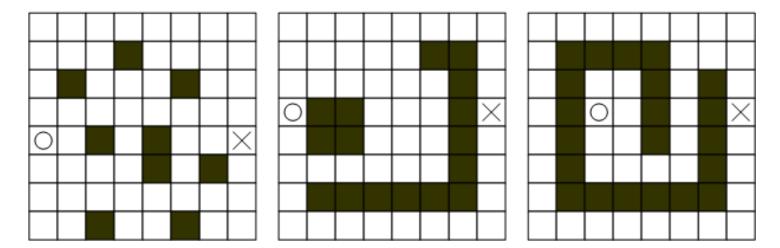
Simple algorithm

- Agent moves towards goal
- If goal reached, then done
- If obstacle
 - Trace around the obstacle clockwise or counter-clockwise (pick randomly) until free path towards goal
- Repeat procedure until goal reached



Random Trace (continued)

How will Random Trace do on the following maps?





Random Trace Characteristics

- Not a *complete* algorithm
- Found paths are unlikely to be optimal
- Consumes very little memory



Understanding A*

To understand A*

- First understand Breadth-First, Best-First, and Dijkstra algorithms
- These algorithms use nodes to represent candidate paths



Understanding A*

```
class PlannerNode
{
  public:
    PlannerNode *m_pParent;
    int m_cellX, m_cellY;
  ...
};
```

The m_pParent member is used to chain nodes sequentially together to represent a path



Understanding A*

- All of the following algorithms use two lists
 - The open list
 - The *closed* list
- Open list keeps track of promising nodes
- When a node is examined from open list
 - Taken off open list and checked to see whether it has reached the goal
- If it has not reached the goal
 - Used to create additional nodes
 - Then placed on the closed list



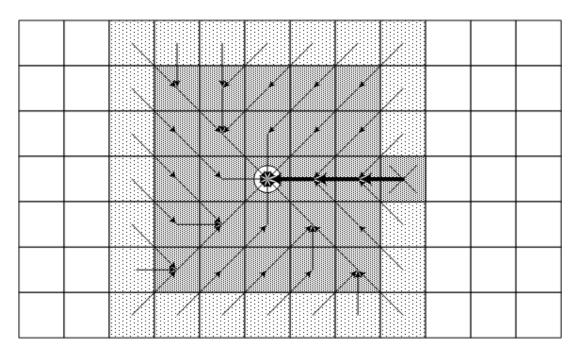
Overall Structure of the Algorithms

- 1. Create start point node push onto open list
- 2. While open list is not empty
 - A. Pop node from open list (call it currentNode)
 - B. If currentNode corresponds to goal, break from step 2
 - C. Create new nodes (successors nodes) for cells around currentNode and push them onto open list D. Put currentNode onto closed list



Breadth-First

Finds a path from the start to the goal by examining the search space ply-by-ply





Breadth-First Characteristics

- Exhaustive search
 - Systematic, but not clever
- Consumes substantial amount of CPU and memory
- Guarantees to find paths that have fewest number of nodes in them
 - Not necessarily the shortest distance!
- Complete algorithm

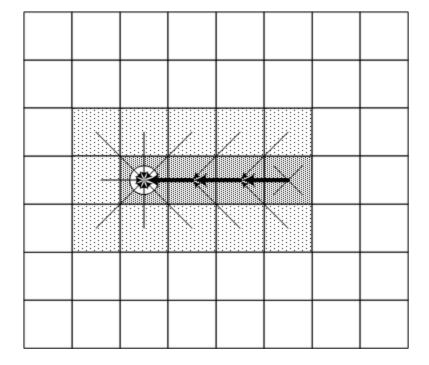


Best-First

- Uses problem specific knowledge to speed up the search process
- Head straight for the goal
- Computes the distance of every node to the goal
 - Uses the distance (or heuristic cost) as a priority value to determine the next node that should be brought out of the open list



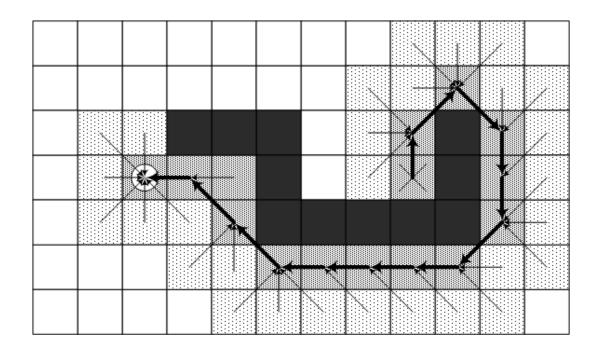
Best-First (continued)





Best-First (continued)

Situation where Best-First finds a suboptimal path





Best-First Characteristics

- Heuristic search
- Uses fewer resources than Breadth-First
- Tends to find good paths
 - No guarantee to find most optimal path
- Complete algorithm



Dijkstra

- Disregards distance to goal
 - Keeps track of the cost of every path
 - No guessing
- Computes accumulated cost paid to reach a node from the start
 - Uses the cost (called the given cost) as a priority value to determine the next node that should be brought out of the open list



Dijkstra Characteristics

- Exhaustive search
- At least as resource intensive as Breadth-First
- Always finds the most optimal path
- Complete algorithm

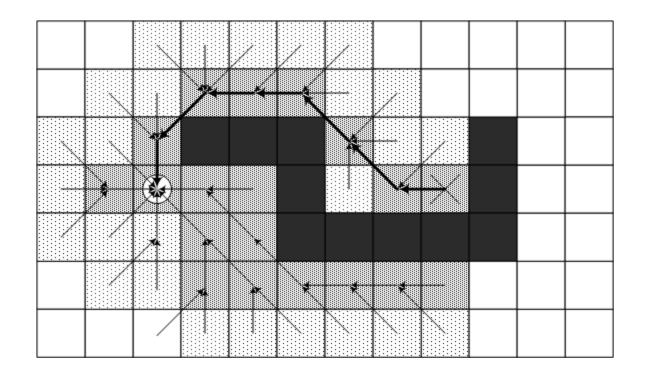


 Uses both heuristic cost and given cost to order the open list

Final Cost = Given Cost + (Heuristic Cost * Heuristic Weight)



Avoids Best-First trap!





A* Characteristics

- Heuristic search
- On average, uses fewer resources than Dijkstra and Breadth-First
- Admissible heuristic guarantees it will find the most optimal path
- Complete algorithm

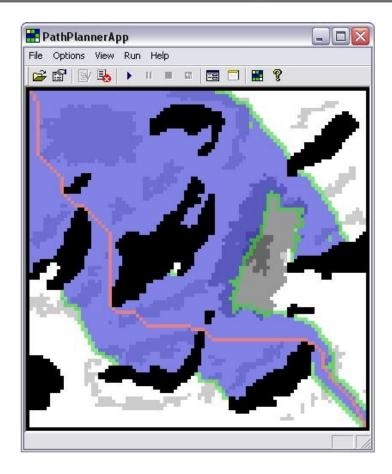


Two key aspects of pathfinding:

- Representing the search space
- Searching for a path



PathPlannerApp Demo





Waypoint Graph Demo

Result of Computing ALL paths using A*											
	[0]	[1]	[2]	[3]	[4]	[5]	[6]	[7]	[8]	[9]	[10]
[0]	X	1	2	2	2	1	2	2	2	2	2
[1]	Ø	X	2	2	2	5	5	5	5	2	2
[2]	Ø	1	X	3	3	6	6	6	6	3	3
[3]	9	9	9	Х	4	9	9	9	9	9	9
[4]	3	3	3	3	Х	3	3	3	3	3	3
[5]	1	1	1	6	6	X	6	6	6	6	6
[6]	2	2	2	8	8	5	X	8	8	8	8
[7]	8	8	8	3	3	8	8	X	8	3	3
[8]	6	6	6	7	7	6	6	7	X	7	7
[9]	10	10	10	3	3	10	10	10	10	X	10
[10]	2	2	2	9	9	2	2	2	2	9	Х