

• We have talked about an agent's interaction with its environment:

percepts

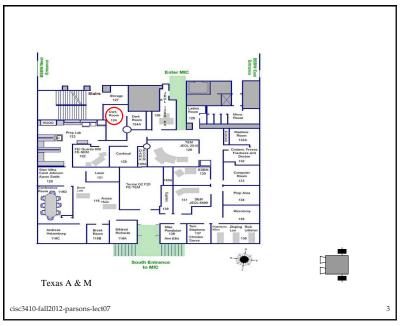
Environment

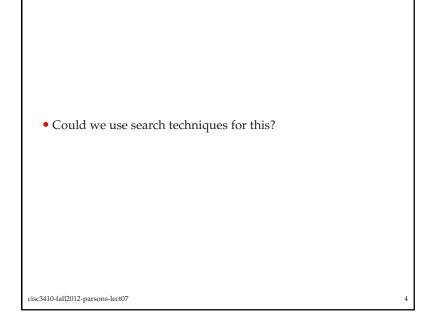
sensors

effectors

actions

• But what about when it has a more complex task to solve?





- Could we use search techniques for this?
- We could, but we'd need a lot of domain specific heuristics.
  - Hard to develop
- Prefer a more general solution.

- Could we use Wumpus-world logic for this?
- We could, but we'd need a lot of computation.
  - Lots of reasoning to consider all the possible moves from each position.
- Prefer a faster solution

• Could we use Wumpus-world logic for this?

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# **AI Planning**

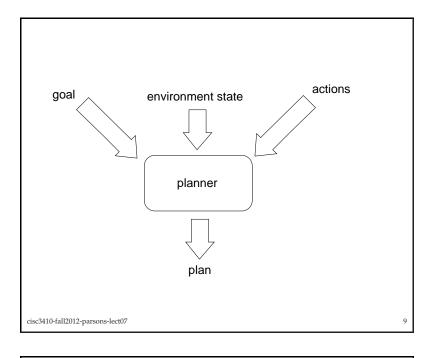
- Planning is the design of a course of action that will achieve some desired goal.
- Basic idea is to give a planning system:
  - (representation of) goal/intention to achieve;
  - (representation of) actions it can perform; and
  - (representation of) the environment;

and have it generate a *plan* to achieve the goal.

• This is automatic programming.

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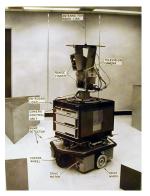


- Given the problems with search and the use of simple logic, researchers turned to a more *factored* representation.
- An early successful approach to planning was STRIPS:
  - Stanford Research Institute Problem Solver.
- The textbook talks about PDDL rather than STRIPS, but the representations are very similar
  - PDDL can use negative literals in preconditions and goals.

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• STRIPS was used in Shakey the robot:



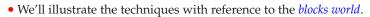


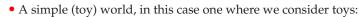
# Representations

- Question: How do we *represent*...
  - goal to be achieved;
  - state of environment;
  - actions available to agent;
  - plan itself.
- Answer: We use logic, or something that looks a lot like logic.

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• The aim is to generate a plan for the robot arm to build towers out of blocks.

• For a formal description, we'll clean it up a bit:



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• The blocks world contains a robot arm, 3 blocks (A, B and C) of equal size, and a table-top.



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• To represent this environment, need an *ontology*.

On(x, y)obj x on top of obj yOnTable(x) obj x is on the table Clear(x)nothing is on top of obj x

Holding(x) arm is holding x

• Here is a representation of the blocks world described above:

Clear(A) On(A, B) OnTable(B) Clear(C) OnTable(C)

- Use the *closed world assumption* 
  - Anything not stated is assumed to be *false*.

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- *Actions* are represented as follows.
  - Each action has:
  - a name
  - which may have arguments;
  - a pre-condition list
  - list of facts which must be true for action to be executed;
  - a delete list
  - list of facts that are no longer true after action is performed;
  - an add list
  - list of facts made true by executing the action.

Each of these may contain *variables*.

• A *goal* is represented as a set of formulae.

• Here is a goal:

```
\{OnTable(A), OnTable(B), OnTable(C)\}
```

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• The *stack* action occurs when the robot arm places the object *x* it is holding is placed on top of object *y*.

$$\begin{array}{ll} & Stack(x,y) \\ \text{pre} & Clear(y) \land Holding(x) \\ \text{del} & Clear(y) \land Holding(x) \\ \text{add} & ArmEmpty \land On(x,y) \end{array}$$

- We can think of variables as being universally quantified.
- ArmEmpty is an abbreviation for saying the arm is not holding any of the objects.

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• The *unstack* action occurs when the robot arm picks an object *x* up from on top of another object *y*.

```
UnStack(x, y)

pre On(x, y) \wedge Clear(x) \wedge ArmEmpty

del On(x, y) \wedge ArmEmpty

add Holding(x) \wedge Clear(y)
```

Stack and UnStack are *inverses* of one-another.

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the table.

• The *putdown* action occurs when the arm places the object *x* onto

$$\begin{array}{ll} & \textit{PutDown}(x) \\ \text{pre} & \textit{Holding}(x) \\ \text{del} & \textit{Holding}(x) \\ \text{add} & \textit{Clear}(x) \land \textit{OnTable}(x) \land \textit{ArmEmpty} \end{array}$$

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• The *pickup* action occurs when the arm picks up an object *x* from the table.

$$\begin{array}{ll} & \textit{Pickup}(x) \\ \text{pre} & \textit{Clear}(x) \land \textit{OnTable}(x) \land \textit{ArmEmpty} \\ \text{del} & \textit{OnTable}(x) \land \textit{ArmEmpty} \\ \text{add} & \textit{Holding}(x) \end{array}$$

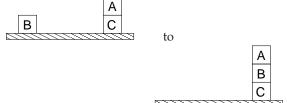
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• What is a plan?

A sequence (list) of actions, with variables replaced by constants.

• So, to get from:



• What plan do we need?

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• We need the plan:

Unstack(A)
Putdown(A)
Pickup(B)
Stack(B, C)
Pickup(A)
Stack(A, B)

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- Involves backward chaining from goal to original state.
- Start by finding an action that is consistent with having the *goal* as post-condition.

Assume this is the *last* action in plan.

- Then figure out what the previous state would have been. Try to find action that has *this* state as post-condition.
- *Recurse* until we end up (hopefully!) in original state.
- We say that an action a can be executed in state s if s entails the precondition pre(a) of a.

$$s \models pre(a)$$

• This is true iff every positive literal in pre(a) is in s, and every negative literal in pre(a) is not.

Naive Planner

- In "real life", plans contain conditionals (IF .. THEN...) and loops (WHILE... DO...), but most simple planners cannot handle such constructs they construct *linear plans*.
- Simplest approach to planning:

means-ends analysis.

 Start from where you want to get to (ends) and apply actions (means) that will achieve this state.

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Here's an algorithm for finding a plan:

```
function plan(
     d: WorldDesc,
                               // environment state
     g : Goal,
                              // current goal
                              // plan so far
    p : Plan,
     A : set of actions
                              // actions available)
1. if d \models g then
2.
          return p
3.
    else
4.
          choose some a in A with g \models add(a)
          \mathsf{set}\ g = (g - add(a)) \cup \mathit{pre}(a)
5.
          append a to p
6.
7.
          return plan(d, g, p, A)
```

• Note that we *ignore* the delete list.

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• How does this work on the previous example?

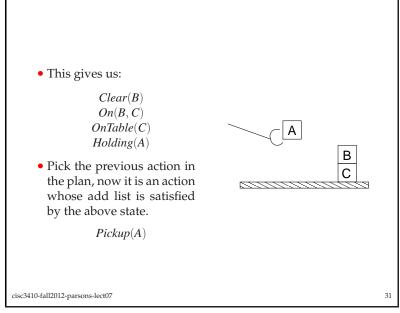
• We start with the goal state:

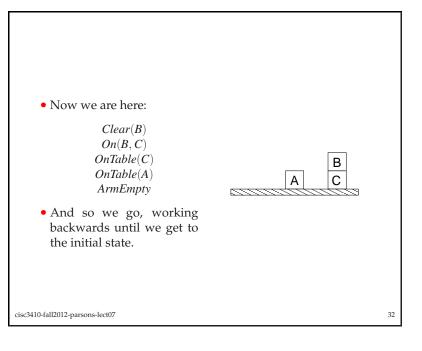
On(A, B)
On(B, C)
OnTable(C)
ArmEmpty

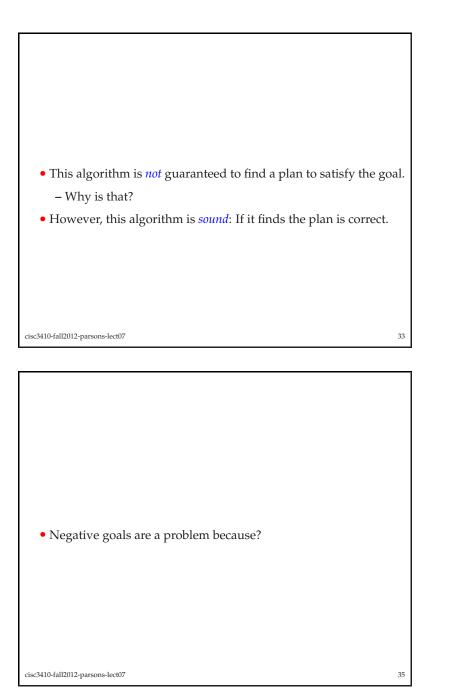
• Then pick an action which has an add list that is satisfied by this state:
Stack(A, B)

• To get the state before this action, delete the add list and add the preconditions.

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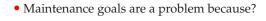


<ul> <li>Some problems:</li> <li>negative goals;</li> <li>maintenance goals;</li> <li>conditionals &amp; loops;</li> <li>exponential search space;</li> <li>logical consequence tests;</li> </ul>	
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- Negative goals are a problem because...
- How would you write down:

  Build any tower of blocks where block B is *not* on the table.

  without enumerating all the towers that you could build?



• Exponential search space is a problem because?

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• Maintenance goals are a problem because...

 How would you write down:
 Keep moving the bricks around so that there are always at least two bricks on the table.

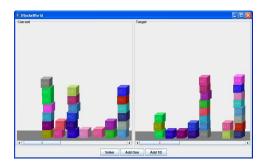
without enumerating all the towers that you could build?

• Maintenance goal:



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• Exponential search space is a problem because:



• Many planning problems have  $\sim 10^{100} states$ .

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• Logical consequence tests are a problem because?

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Search space issues

- Another problem with the search space is:
  - how do we pick an action?
- We are just assuming that you can pick a good one.
  - In general, not a good tactic.
- Apply heuristics and use *A*\*
  - This is just a form of search problem after all

• Logical consequence tests are a problem because, to quote Wikipedia:

Depending on the underlying logic, the problem of deciding the validity of a formula varies from trivial to *impossible*.

For propositional logic, the problem is *decidable* but Co-NP-complete, and hence only *exponential-time* algorithms are believed to exist for general proof tasks. For a first order predicate calculus identifying valid formulas is recursively enumerable: given unbounded resources, any valid formula can *eventually* be proven. However, invalid formulas *cannot* always be recognized.

(this was heavily cut down, emphasis is mine)

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Didn't you say before that we shouldn't think of this as search?

Well, yes...





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- The difference is that with the factored search operators we can look for *domain independent* heuristics.
  - Ones that will work for planning problems in general.
- Ignore preconditions
  - Just as in search we can establish heuristics that relax the constraints on the problem ensuring that they are *admissable*.
- Ignore selected preconditions.
- Ignore delete lists
  - No action undoes the effect of another action.

• If all the packages are constrained to be at only 5 of the airports, and all packages at one airport have the same destination, we can reduce the problem to have just 5 airports and and one plane and package at the same airport.

$$-5^{10} \times 5^{50+10} \approx 10^{17} \, \mathrm{states}$$

- Find solution and then expand back to the larger problem, maybe by composing solutions.
- Not optimal but easier.

- While this gives us a set of heuristics, the state space is still big
  - $-\sim 10^{100}$  remember
- State abstraction.
  - plan in a space that groups states together
- The textbook talks about planning for 10 airports with 50 planes and 200 pieces of luggage.
  - Every plane can be at any airport and each package can be on any plane or unloaded at an airport.
  - $-50^{10} \times 200^{50+10} \approx 10^{155}$  states

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#### The Frame Problem

• A general problem with representing properties of actions:

How do we know exactly what changes as the result of performing an action?

If I pick up a block, does my hair colour stay the same?

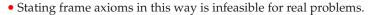
• One solution is to write *frame axioms*.

Here is a frame axiom, which states that my hair colour is the same in all the situations s' that result from performing Pickup(x) in situation s as it is in s.

$$\forall s, s'.Result(SP, Pickup(x), s) = s' \Rightarrow HCol(SP, s) = HCol(SP, s')$$

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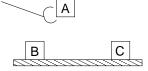


- (Think of all the things that we would have to state in order to cover all the possible frame axioms).
- STRIPS solves this problem by assuming that everything not explicitly stated to have changed remains unchanged.
- The price we pay for this is that we lose one of the advantages of using logic:
  - Semantics goes out of the window
- However, more recent work has effectively solved the frame problem (using clever second-order approaches).

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• which gets us to here:



- But what next.
- If the planner considers that the final state is to have:

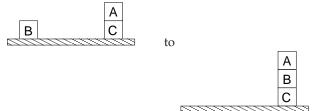
On(B, C)

then making the next move Stack(A, B) might seem to be close to the goal.

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Sussman's Anomaly

• Consider again the following initial state and goal state:



• Clearly the first operation is to unstack A from C.

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• We then get to:



which is no closer to our real goal.

- In fact it just means a longer path to the goal which involves going back through the previous state.
- This is a big problem with linear planners
- How could we modify our planning algorithm?

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• Modify the middle of the algorithm to be:

```
1. if d \models g then

2. return p

3. else

4. choose some a in A

4a. if no\_clobber(a, rest\_of\_plan)

5. set g = (g - add(a)) \cup pre(a)

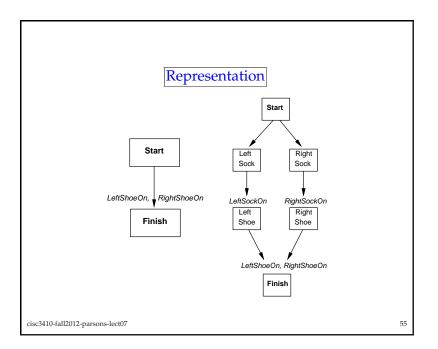
6. append a to p

7. return plan(d, g, p, A)
```

• But how can we do this?

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# Partial Order Planning

- The answer to the problem on the previous slide is to use *partial order planning*.
- Basically this gives us a way of checking before adding an action to the plan that it doesn't mess up the rest of the plan.
- The problem is that in the recursive process used by STRIPS, we don't know what the "rest of the plan" is.
- Need a new representation *partially ordered plans*.
- This means remembering what a "partial order" is.

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# Partially ordered plans

- Partially ordered collection of steps with
  - Start step has the initial state description as its effect
  - Finish step has the goal description as its precondition
  - causal links from outcome of one step to precondition of another
  - temporal ordering between pairs of steps
- *Open condition* = precondition of a step not yet causally linked
- A plan is *complete* iff every precondition is achieved
- A precondition is *achieved* iff it is the effect of an earlier step and no *possibly intervening* step undoes it

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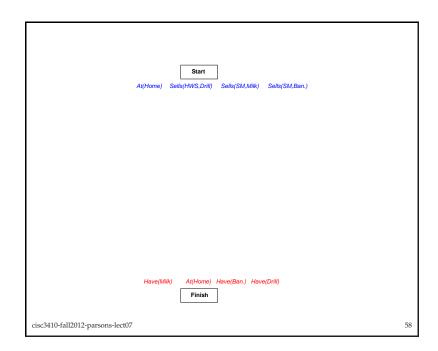
## Plan construction

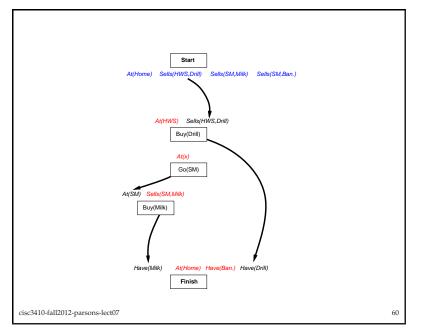
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• We start with just the start and end states.

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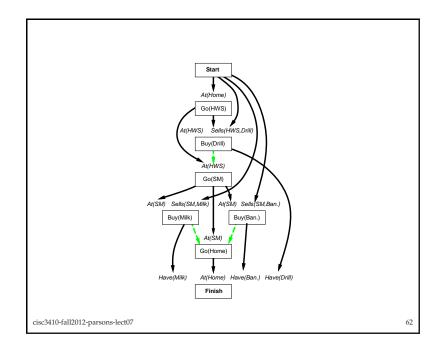
- Then we add in actions, as they seem appropriate.
- We introduce actions that achieve:
  - either the pre-conditions of the final state; or
  - the pre-conditions of actions that were already added.
- Matching pre- and post-conditions are linked.





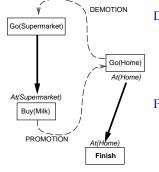
- Some actions will introduce ordering constraints on other actions by having post-conditions that make the pre-conditions of those other actions false.
- These force us to order some actions with respect to each other.
- Thus we don't care what order we buy the milk and bananas in, but we have to do both before we go home.

- The causal links between actions give us a way to detect the "clobbering" mentioned in the previous algorithm.
- This tells us how the steps must be ordered
  - If they need ordering.



# Clobbering

• A *clobberer* is a potentially intervening step that destroys the condition achieved by a causal link. E.g., Go(Home) clobbers *At*(*Supermarket*):



Demotion: put before *Go(Supermarket)* 

Promotion: put after *Buy*(*Milk*)

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#### Planning process

- Operators on partial plans:
  - add a link from an existing action to an open condition
  - add a step to fulfill an open condition
  - *order* one step wrt another to remove possible conflicts
- Gradually move from incomplete/vague plans to complete, correct plans
- Backtrack if an open condition is unachievable or if a conflict is unresolvable

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```
function POP(initial, goal, operators) returns plan

plan \leftarrow \text{MAKE-MINIMAL-PLAN}(initial, goal)

loop do

if SOLUTION?(plan) then return plan

S_{need}, c \leftarrow \text{SELECT-SUBGOAL}(plan)

CHOOSE-OPERATOR(plan, operators, S_{need}, c)

RESOLVE-THREATS(plan)

end

function SELECT-SUBGOAL(plan) returns S_{need}, c

pick a plan step S_{need} from STEPS(plan)

with a precondition c that has not been achieved return S_{need}, c
```

```
procedure CHOOSE-OPERATOR(plan, operators, S_{need}, c)

choose a step S_{add} from operators or STEPS(plan) that has c as an effect

if there is no such step then fail

add the causal link S_{add} \stackrel{c}{\longrightarrow} S_{need} to LINKS(plan)

add the ordering constraint S_{add} \prec S_{need} to ORDERINGS(plan)

if S_{add} is a newly added step from operators then

add S_{add} to STEPS(plan)

add S_{add} \prec S_{add} \prec S_{add} \prec S_{add} \prec S_{add}
```

```
procedure RESOLVE-THREATS(plan)

for each S_{threat} that threatens a link S_i \stackrel{c}{\longrightarrow} S_j in LINKS(plan) do choose either

Demotion: Add S_{threat} \prec S_i to ORDERINGS(plan)

Promotion: Add S_j \prec S_{threat} to ORDERINGS(plan)

if not CONSISTENT(plan) then fail
end
```

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# Properties of POP

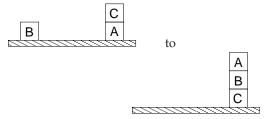
- Nondeterministic algorithm: backtracks at choice points on failure:
  - choice of  $S_{add}$  to achieve  $S_{need}$
  - choice of demotion or promotion for clobberer
  - selection of  $S_{need}$  is irrevocable
- POP is sound, complete, and systematic (no repetition)
- Extensions for disjunction, universals, negation, conditionals
- Can be made efficient with good heuristics derived from problem description
- Particularly good for problems with many loosely related subgoals

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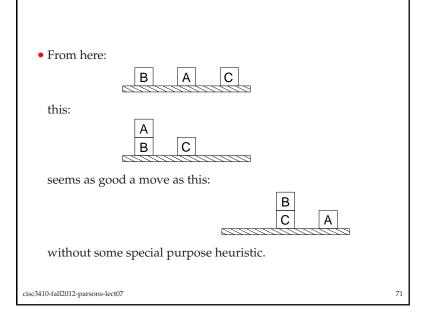
## Sussman's Anomaly Revisited

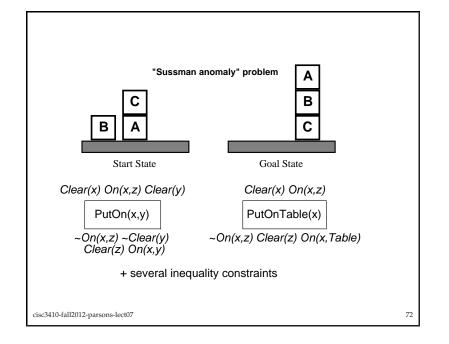
• Another version of Sussman's anomaly appears here:

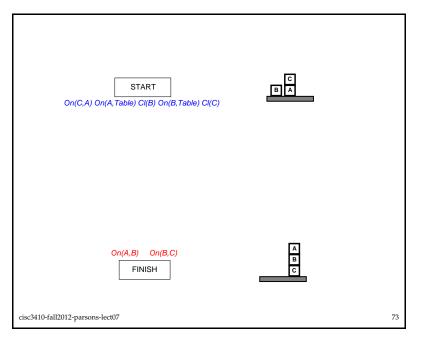


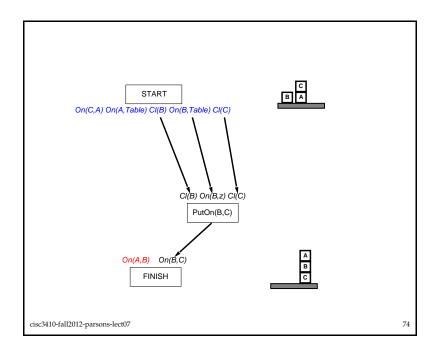
• In this case the problem appears once we have placed all the blocks on the table.

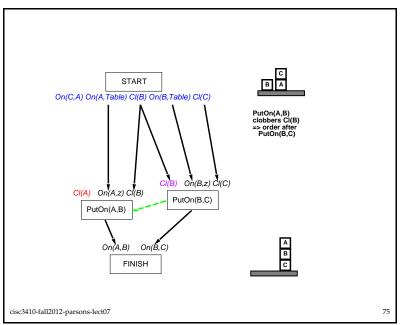
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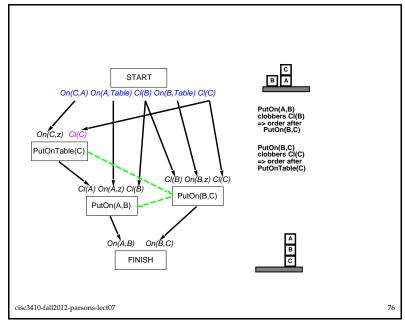












## State of the art

- Though POP is quite intuitive, it isn't the best planner out there any more.
- Currently the hottest planning approaches are the following.
- SATPlan
  - Specify the problem in logic, including all possible transitions.
  - See if there is a satisfying model

This shifts the computational burden to the creation of all possible sequences, which can then be checked fast for specific goals.

- Search with clever general purpose heuristics.
- GraphPlan

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- Build a graph which approximates the state space.

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## Summary

- This lecture has looked at planning.
- We started with a logical view of planning, using STRIPS operators.
- We also discussed the frame problem, and Sussman's anomaly.
- Sussman's anomaly motivated some thoughts about partial-order planning.
- We looked at partial order planning in some detail, and then talked about the POP algorithm.

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