

## CS1007 lecture #4 notes

thu 31 jan 2002

- news
- data types and storage
- variables and assignment
- binary numbers and arithmetic
- ASCII
- reading: *ch 2.1-2.4*

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news.

- always check class web: <http://www.columbia.edu/~cs1007>
- homework #1 is due today
- recitation lists will be posted on the web in the next few days
- if you haven't signed up yet, email me and the TA
- TAs will also have office hours in the TA room in Mudd
- hours will be added on the human help link

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data and storage.

- last week we talked about output
- programs = objects + methods
- objects = data
- data must be *stored*
- all storage is numeric (0's and 1's)

memory.

- think of the computer's memory as a bunch of boxes
- inside each box, there is a number
- you give each box a name  
    ⇒ defining a *variable*
- example:

*program code:*  
`int x;`  
`x →`

*computer's memory:*  
`x →`

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variables.

- variables have:
    - name
    - type
    - value
  - naming rules:
    - names may contain letters and/or numbers
      - but cannot begin with a number
    - names may also contain underscore () and
    - underscore is used frequently; dollar sign is
      - can be of any length
    - cannot use Java keywords
    - Java is *case-sensitive*!!

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primitive data types.

- | numeric   | byte    | 8 bits                                  | $-128 = -2^7$                          | $127 = 2^7 - 1$ |
|-----------|---------|---|--|-----------------|
| short     | 16 bits | $-32,768 = -2^{15}$                     | $32,767 = 2^{15} - 1$                  |                 |
| int       | 32 bits | $-2^{31}$                               | $2^{31} - 1$                           |                 |
| long      | 64 bits | $-2^{63}$                               | $2^{63} - 1$                           |                 |
| float     | 32 bits | $\approx -3.4E+38, 7 \text{ sig dig}$   | $\approx 3.4E+38, 7 \text{ sig dig}$   |                 |
| double    | 64 bits | $\approx -1.7E+308, 15 \text{ sig dig}$ | $\approx 1.7E+308, 15 \text{ sig dig}$ |                 |
| boolean   | boolean | 1 bit                                   |  |                 |
| character | char    | 16 bits                                 |  |                 |
|           |         |   | • 7 bits for ASCII                     |                 |
|           |         |   | • 8 bits for extended ASCII            |                 |
|           |         |   | • 16 bits for Unicode                  |                 |

10005 1 0000 11 1

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assignment.

storage is binary.

- = is the assignment operator

- example:

*computer's memory:*

19

is really stored like this:

19;

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$$19_{10} = 10011_2$$

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remember bases?

$$\begin{aligned}
 \text{base 10:} \\
 362 &= (2 * 1) + (6 * 10) + (3 * 100) \\
 &= (2 * 10^0) + (6 * 10^1) + (3 * 10^2) \\
 \text{base 2:} \\
 1 &= 2^0 = 1 \\
 10 &= 2^1 = 2 \\
 100 &= 2^2 = 4 \\
 1000 &= 2^3 = 8 \\
 10000 &= 2^4 = 16 \\
 &\dots \\
 \text{so } 10011_2 &= (1 * 2^0) + (1 * 2^1) + (0 * 2^2) + (0 * 2^3) + (1 * 2^4) \\
 &= (1 * 1) + (1 * 2) + (0 * 4) + (0 * 8) + (1 * 16) \\
 &= 19_{10}
 \end{aligned}$$

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base conversion: 2 to 10.

$$\begin{array}{rcl}
 1010100_2 = & \left| \begin{array}{c} (0 * 2^0) \\ + (0 * 2^1) \\ + (1 * 2^2) \\ + (0 * 2^3) \\ + (1 * 2^4) \\ + (0 * 2^5) \\ + (1 * 2^6) \end{array} \right| = & (0 * 1) \\ & = & 0 \\ & + (0 * 2) & + (0 * 2) \\ & + (1 * 2) & + (1 * 4) \\ & + (0 * 8) & + 0 \\ & + (1 * 16) & + 16 \\ & + (0 * 32) & + 0 \\ & + (1 * 64) & + 64 \\ & = 84_{10} &
 \end{array}$$

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base conversion: 10 to 2.

$$\begin{array}{rcl}
 84_{10} = & \left| \begin{array}{cc} 42 & \text{rem } 0 \\ 21 & \text{rem } 0 \\ 10 & \text{rem } 1 \\ 5 & \text{rem } 0 \\ 2 & \text{rem } 1 \\ 1 & \text{rem } 0 \\ 0 & \text{rem } 1 \end{array} \right| = & 0 \\
 \Rightarrow 1010100_2 & &
 \end{array}$$

two tricks.

$$\begin{array}{rcl}
 \text{base 8 (octal):} \\
 000 & | & 0 \\
 001 & | & 1 \\
 010 & | & 2 \\
 011 & | & 3 \\
 100 & | & 4 \\
 101 & | & 5 \\
 110 & | & 6 \\
 111 & | & 7
 \end{array}$$

base 16 (hexadecimal, "hex"):

$$\begin{array}{rcl}
 0000 & | & 0 \\
 0001 & | & 1 \\
 0010 & | & 2 \\
 0011 & | & 3 \\
 0100 & | & 4 \\
 0101 & | & 5 \\
 0110 & | & 6 \\
 0111 & | & 7 \\
 & | & \\
 & 1000 & 8 \\
 & 1001 & 9 \\
 & 1010 & A (10) \\
 & 1011 & B (11) \\
 & 1100 & C (12) \\
 & 1101 & D (13) \\
 & 1110 & E (14) \\
 & 1111 & F (15)
 \end{array}$$

- replace each octal (or hex) digit with the 3 (or 4) digit binary
- replace every 3 (or 4) binary digits with one octal (or hex) digit

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back to storage.

$x \rightarrow \boxed{19}$

is really stored like this:

31	30	...	7	6	5	4	3	2	1	0
0	0	...	0	0	0	1	0	0	1	1

- bits are numbered, from right to left, starting with 0
- highest (rightmost, “most significant”) bit is *sign* bit

ASCII.

- ASCII = American Standard Code for Information Interchange

- characters are stored as numbers

- standard table defines 128 characters

- example:

```
char c = 'A';
```

$'A' = 65_{10} = 01000001_2$

c →	7	6	5	4	3	2	1	0
	0	1	0	0	0	0	0	1